## B.E. End-semester (4th Semester AE, CE, ME, Met, Min) Examination, 2013

## **PHYSICS (PH - 3401)**

Full Marks: 70

Time: 3 hrs.

Answer any five questions:

- 1. a) State Bloch's theorem in one dimensional lattice.
  - b) Consider the Krönig-Penney model in one dimension:
    - i) Write down the potential energy of an electron stating clearly its periodicity.
    - ii) Write down the Schrödinger equation in different regions of the potential and obtain the solutions using Bloch's theorem.
    - iii) Write down the boundary conditions in terms of Bloch's function.
    - iv) Given the following dispersion relation

$$\frac{\beta^2 - \alpha^2}{2\alpha\beta} \sinh \beta b \sin \alpha a + \cosh \beta b \cos \alpha a = \cos k(a+b),$$

Obtain its form in the narrow and large potential barrier limit and plot it as a function of  $\alpha a$  for  $P = 3\pi/2$ , indicating the allowed and forbidden regions of the band. Here the symbols have usual meaning.

[2+2+4+2+4]

- 2. a) What are paramagnetic materials? How do you distinguish a paramagnetic substance from a Diamagnetic one?
  - b) Obtain an expression of paramagnetic susceptibility of substance containing N of spin J particles in unit volume on the basis of quantum theory.

[4+10]

- 3. a) Describe the hysteresis curve for a ferromagnetic material. What is hysteresis loss per cycle?
  - b) Describe Weiss molecular field theory of a ferromagnetic substance. Show that spontaneous magnetization exists at a temperature below Curie temperature. Obtain Curie-Weiss law.

[4+(6+4)]

- 4. (a) Discuss Einstein's model for heat capacity of a solid and hence obtain the expression for  $C_{\nu}$ . Show that  $C_{\nu}$  agrees with the Dulong Petit's law at high temperature.
  - (b) State the discrepancies of Einstein's model that led Debye to put forward his modifications and hence show that C<sub>v</sub> varies as T<sup>3</sup> at low temperatures. Also, obtain the relationship between Einstein's and Debye temperature.

[(4+1)+(2+5+2)]

- 5. (a) For a conducting media write down the Maxwell's equations and hence show that the free charge density vanishes at large time.
  - (b) State the classical free electron theory of Lorentz and Drude. Using this theory find an expression for thermal conductivity of a metal. State Weidemann-Franz law.

[(4+2)+(2+4+2)]

- 6. Write short notes (any two)
  - i) Meissner effect and Cooper pairs
  - ii) Clausius Mosotti equation
- iii) Susceptibility of a diamagnetic substance
- iv) Propagation of EM wave in conductor.

[7X2]